

ATTEMPT OF A SUMMARY OF  
"SIMULATIONS OF E-CLOUD  
BUILDUP II"

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THANKS TO TOM

# MULTIPIACTING AND REMEDIES OF ELECTRON CLOUD IN LONG BUNCH PROTON MACHINE

LANFA WANG

LONG BUNCHES (MANY OSZILLATIONS)

ALREADY EXISTING ELECTRONS ARE  
TRAPPED IN BUNCH

ANALYTIC CALCULATION  $\leftrightarrow$  SIMULATION  
GOOD AGREEMENT

AT END OF BUNCH ELECTRONS  
HIT BEAMPIPE

IMPORTANT ARE:

- BEAM INTENSITY
- LONGITUDINAL PROFILE
- TRANSVERSE DISTRIBUTION

REMEDIES:

- SOLENOID
- CLEARING ELECTRODE  
(CAN LEAD TO MULTIPIACTING  
IF FIELD IS TOO HIGH)

# Energy Gain of multipacting electron & Mechanism of trailing edge multipacting (SNS/BNL Note 132)



## Electron energy when a multipacting electron hit the wall

$$\Delta E = -\frac{1}{2} \sqrt{\frac{me}{2\pi\varepsilon_0}} \beta c \left[ a(2\zeta - 1) \arcsin \frac{1}{\sqrt{\zeta}} + a \sqrt{2 \ln \frac{b}{a}} + \sqrt{2}\zeta \int_a^b \frac{dr}{\sqrt{\ln(b/r)}} - \frac{1}{\sqrt{2}} \int_a^b \frac{1 + 2 \ln(r/a)}{\sqrt{\ln(b/r)}} dr \right] \frac{\partial \lambda}{\partial z} \frac{1}{\sqrt{\lambda}}$$

$$\Delta t = 2.0 \sqrt{\frac{\pi \varepsilon_0 m}{\lambda e}} \left( \sqrt{2} a \arcsin \frac{1}{\sqrt{1 + 2 \ln(b/a)}} + \int_a^b \frac{dr}{\sqrt{\ln(b/r)}} \right)$$

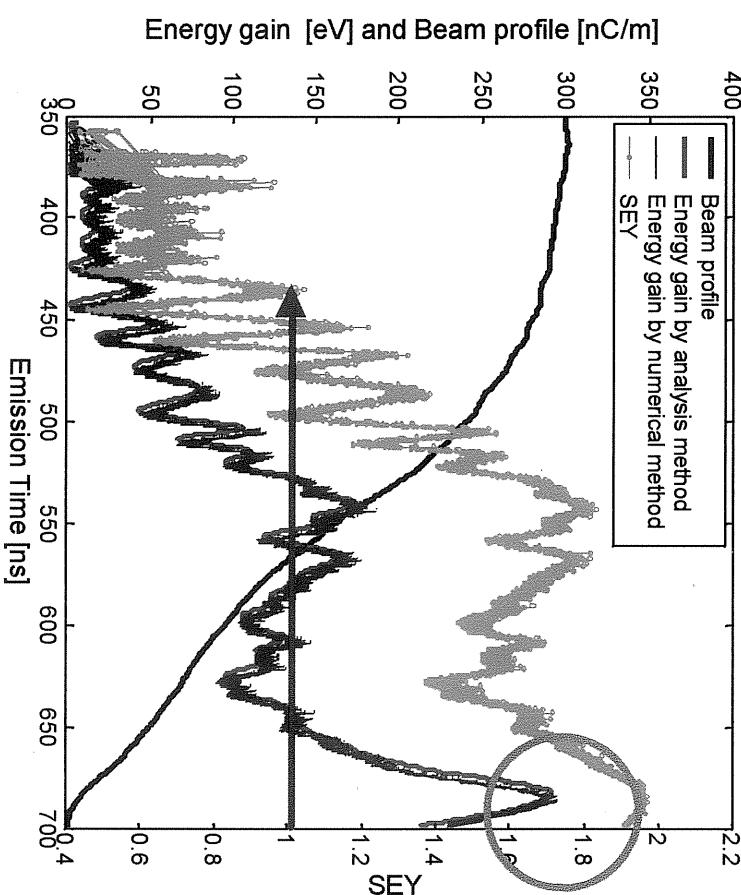
Also see other expressions  
by M. Blaskiewicz, J. Wei et.

$a$ : beam size,  $b$ , chamber radius,  $\lambda$  is  
beam line density  $\zeta = 1 + 2 \ln(b/a)$

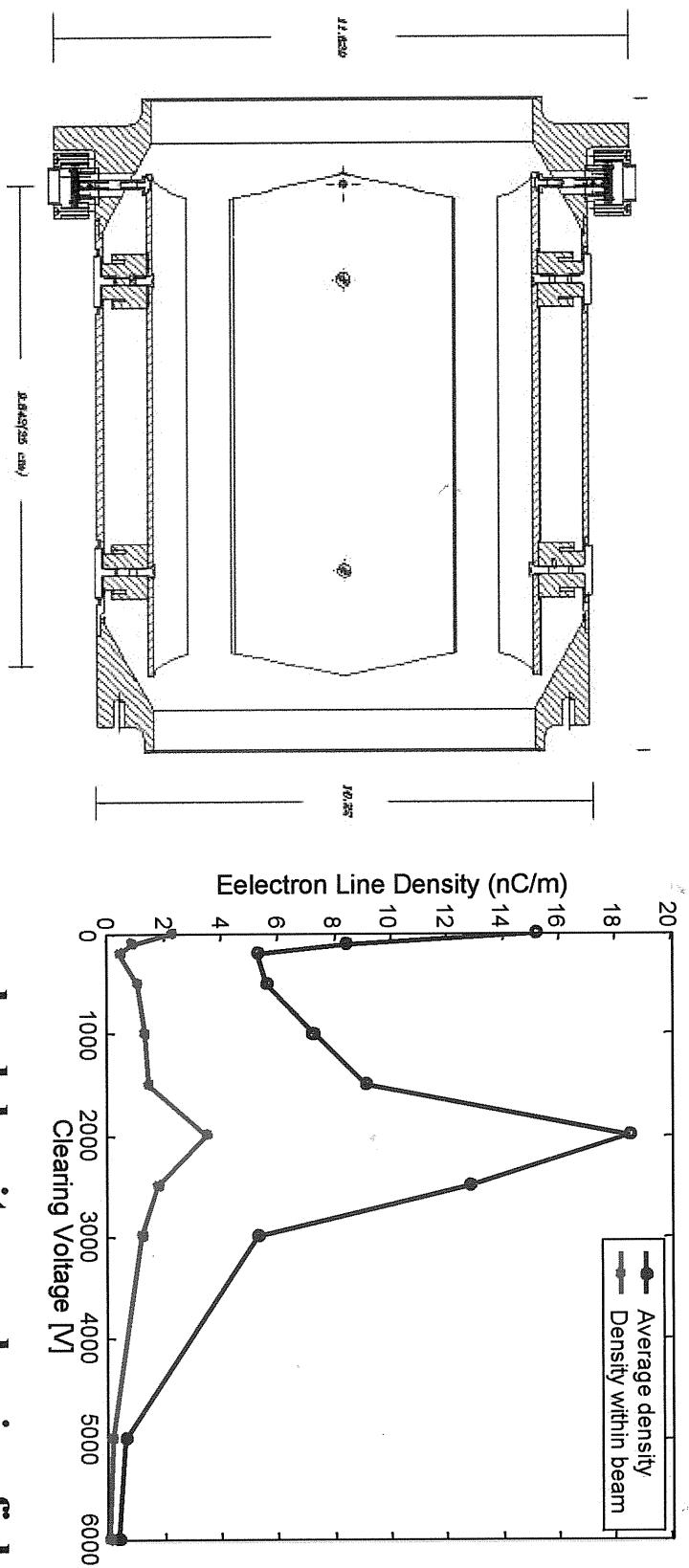
## Longitudinal beam profile factor

$$Factor_{profile} = -\frac{\partial \Psi}{\partial z} \frac{1}{\sqrt{\Psi}}$$

- Good agreement with numerical method
- Calculated SEY can be used to predict the multipacting directly
- Adiabatic motion and Energy gain can explain the mechanism of "trailing edge multipactor"



## *Electrode clearing effect vs. Clearing voltage* (PRSTAB, Vol7:034401,2004)



e-cloud density vs. clearing fields

- Weak field( $\sim 200V$ ) is very helpful
- Strong multipacting at 2kV, which could be stronger than zero field case
- Cooperation with LANL PSR

# ELECTRON-CLOUD MODULE FOR THE ORBIT CODE

ANDREI SHISHLO

INTEGRATION OF ELECTRON CLOUD INTO  
ORBIT

ORBIT IS A PARALLEL ACCELERATOR  
CODE

IMPLEMENTATION IN C++

SELF CONTAINED MODULES

WELL DEFINED INTERFACES

~~EXTEN~~ EXPANSIBLE VIA

FIELD SOURCE CLASS

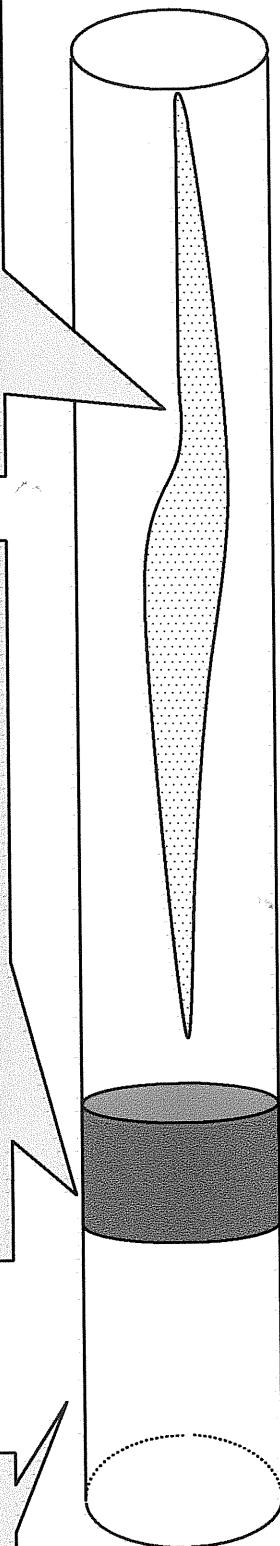
SURFACE CLASS

PROTONS ARE DISTRIBUTED ON  
CPUs (SLICEWISE).

INITIAL BENCHMARKS HAVE  
BEEN PERFORMED

# Simulation Approach

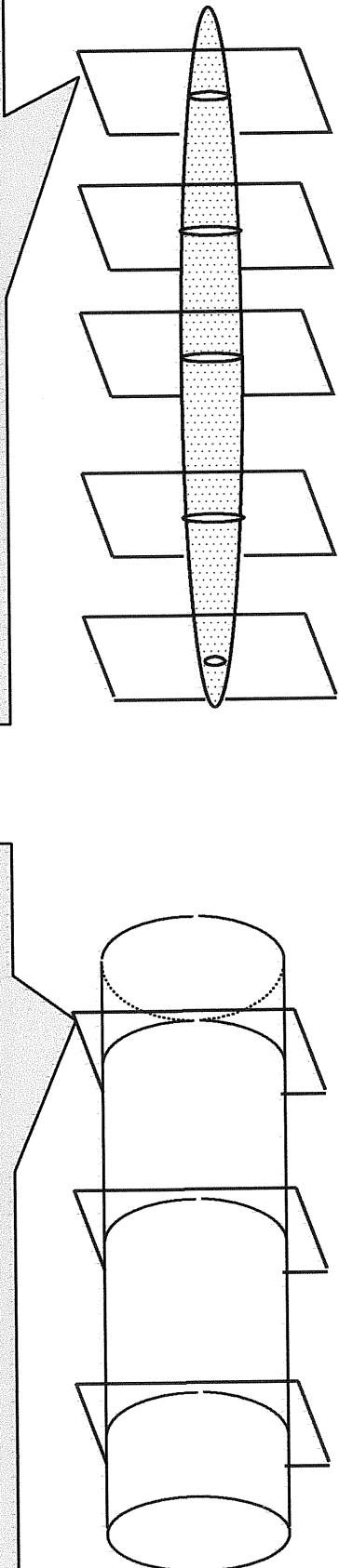
L=248 m and about 1000 turns



## Proton Bunch

- We have to simulate a building up an electron cloud, its dynamics, its effect on a proton bunch during the whole accumulation period or at least for several turns to detect the development of instability.
- We are going to use PIC method for both p-Bunch and e-Cloud.

## Electron Cloud Region

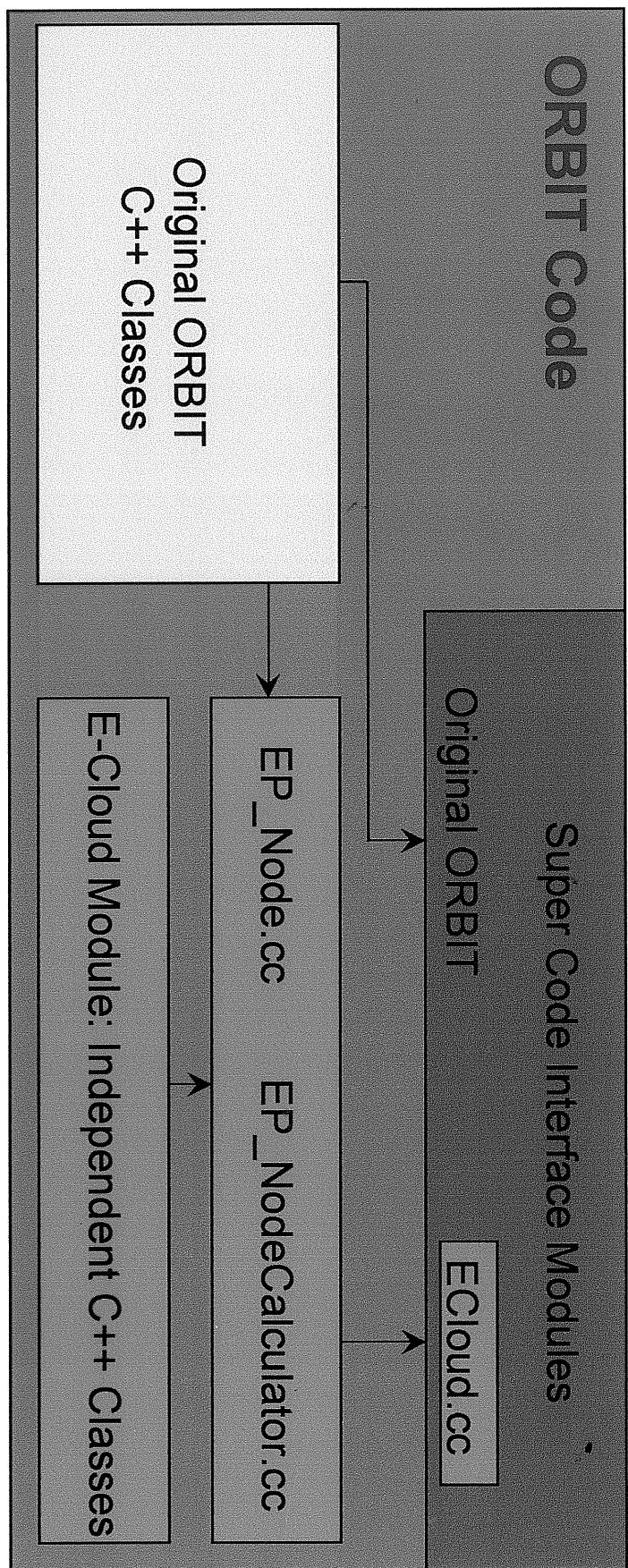


## Pipe

## Proton beam 3D SC potential grid

## Electron Cloud Grids with few (may be only one) longitudinal slices

# E-Cloud Module in the ORBIT Structure



## - ORBIT Electron Cloud Module

- The ORBIT E-Cloud Module is a collection of C++ classes. Only three classes connect the E-Cloud module with the original ORBIT code, so the module can be easily modified to use in other accelerator code or independently.
- The special efforts have been made to provide the possibilities for an extension of existing classes and improvement of the models.

# SIMULATION OF E-CLOUD USING

## ORBIT: BENCHMARKS AND FIRST APPLICATION

YOICHI SATO

FOCUS ON BENCHMARKING

SURFACE REFLECTION BASED ON  
FURMAN / PIVI

$$(\delta = \delta_{el} + \delta_{rd} + \delta_{es})$$

→ GOOD AGREEMENT

TRANSVERSE PROTON ACCELERATION

→ GOOD AGREEMENT

GROWTH RATE FOR CENTROID  
MOTION

→ REASONABLE AGREEMENT

PSR BUNCHED BEAM NEXT

80' / TURN 10 CPUs

## Two stream model in ORBIT, cont.

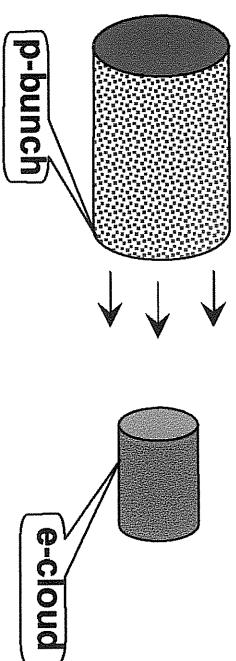
To reduce the calculation time, we adopt the periodic structure of  
 $L=248\text{m}/178=1.393\text{m}$  having 20 longitudinal nodes.  $N_p = \lambda_p L = 3.241 \times 10^{12}$

### Initial proton bunch

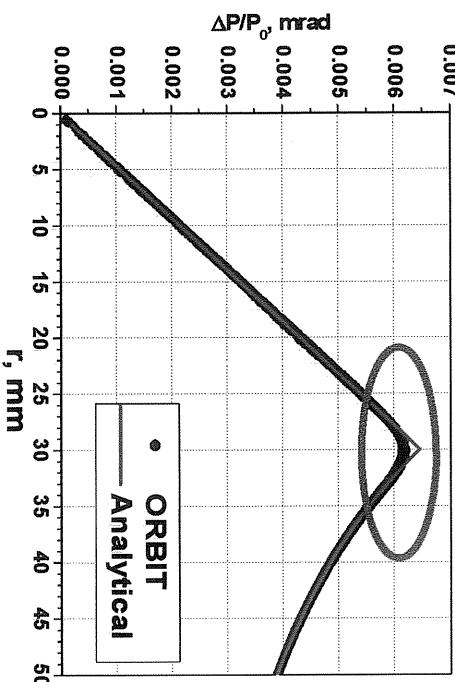
KV distribution ( $R_p=30\text{mm}$ ) –needs very (32 points) symmetric structure  
0.01mm centroid modulation (slow wave) in vertical direction  
more than 400,000 macroprotons to satisfy at least 10 particles/grid-cell

### Initial electron cloud

KV distribution ( $R_e=26\text{mm}$ ) –needs to receive linear force inside p-bunch  
400,000 macroelectrons with  $\lambda_e = \eta \left( \frac{R_e}{R_p} \right)^2 \lambda_p$   
 $(A_e/A_p)_\eta$ , growth mode



The change in the transverse momentum of protons is in perfect agreement with analytic calculations except for the round shoulder



## Two stream benchmark (ORBIT Simulation), cont.



The ORBIT growth rate is about 20% larger than the theory.



Initial centroid modulation is for [ $R_e = R_p = 30\text{mm}$ ]  
 However, we use  $R_e = 26\text{mm}$  to ensure linear force

$$\lambda \propto \sqrt{\eta} \text{ for low } \eta$$

Each proton spends outside of the e-cloud in some part of its trajectory

# ENERGY SPECTRUM OF ELECTRON CLOUD WITH SHORT BUNCH

LANFA WANG

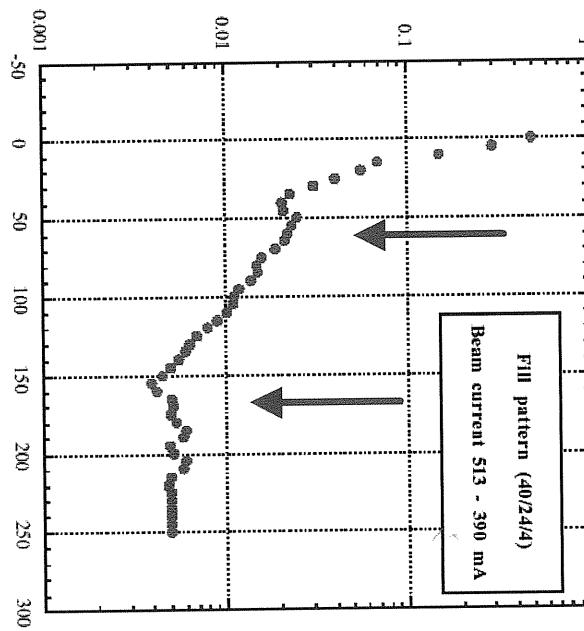
ELECTRON CLOUD CAN SHOW DIPS IN ENERGY SPECTRUM

SIMULATION SHOWS THE STOP BANDS ARE DUE TO MULTIPLE BUNCH PASSES DURING ELECTRON OSCILLATION

STRONG DEPENDENCE ON GEOMETRY  
BEAM PARAMETERS

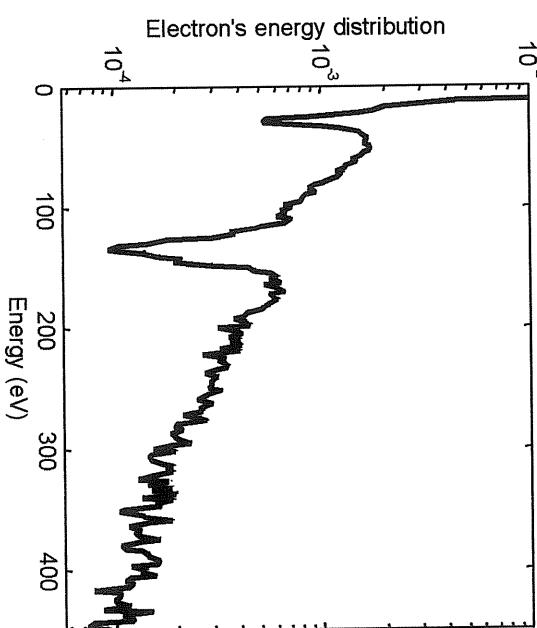
# KEK-B

Measured energy distribution of electrons



Simulation, F.  
Zimmermann

Exp. Fukuma  
Simulation, L. Wang



# SOLENOID EFFECTS ON ELECTRON CLOUD

LANFA WANG

WEAK SOLENOIDS CAN SUPPRESS  
MULTIPACTING

SHORT BUNCHES

LONG BUNCHES

KEEPS ELECTRONS CLOSE TO  
SURFACE

MORE FREQUENT HITS  
(LONG BUNCH)

HOMOGENEOUS FIELD IS BEST  
REALISTIC FIELDS ARE WORSE  
OPPOSITE SIGNS ARE EVEN WORSE  
ELECTRONS ARE TRAPPED IN  
SOLENOIDS

EXPERIMENT DEMONSTRATES  
SUPPRESSION >50 (PSR)

ELECTRON CLOUD GIVES RISE TO  
WAKEFIELD

TWO MODES EXIST

BOUNCE FREQUENCY

ROTATION FREQUENCY

KEKB:

COUPLED BUNCH INSTABILITY  
CHANGES

- LOWER MODES
- LESS EXCITATION

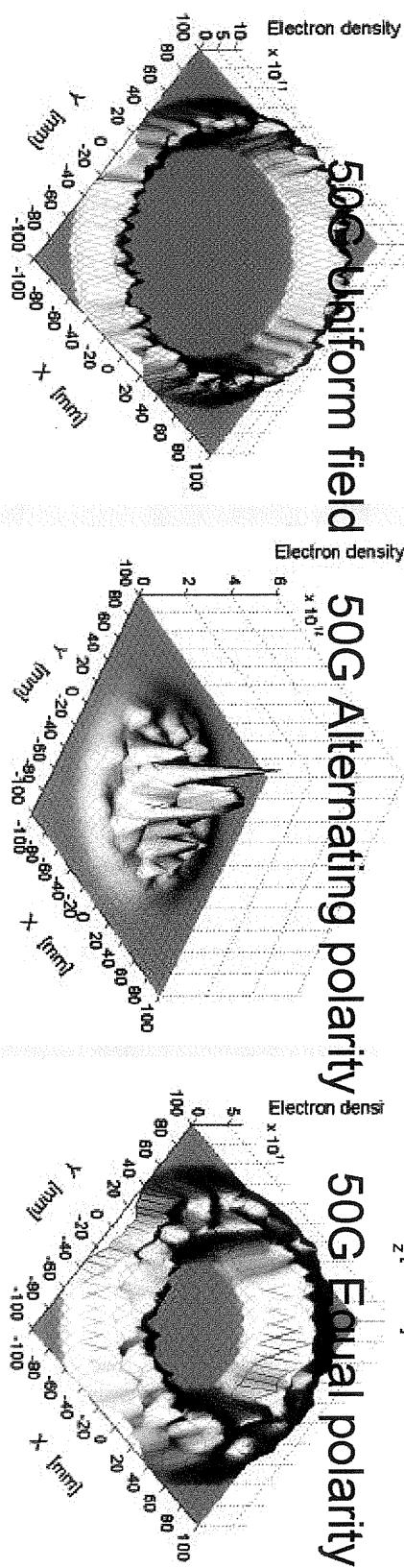
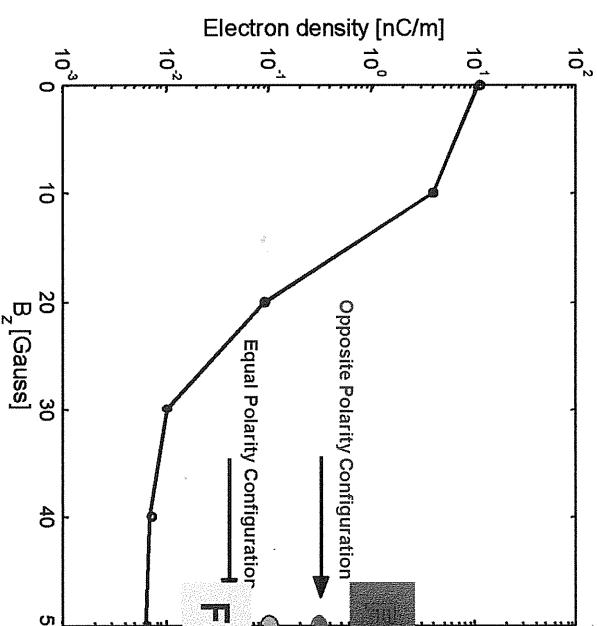
WAKE DEPENDS ON BEAM

PARAMETERS

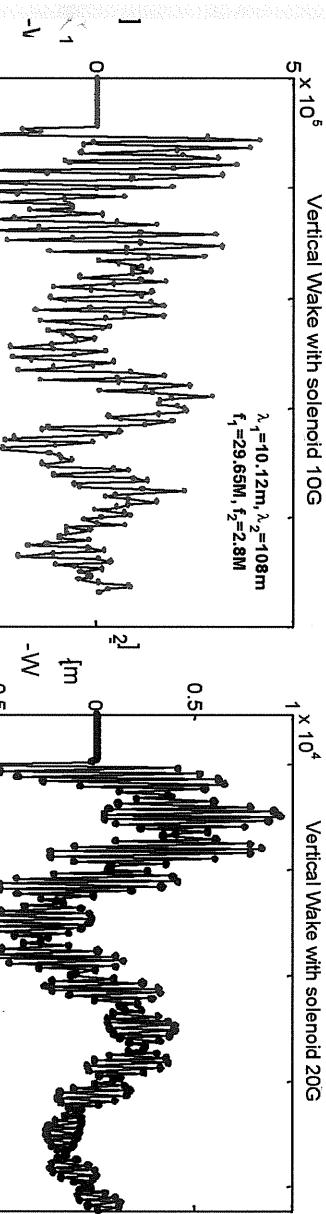
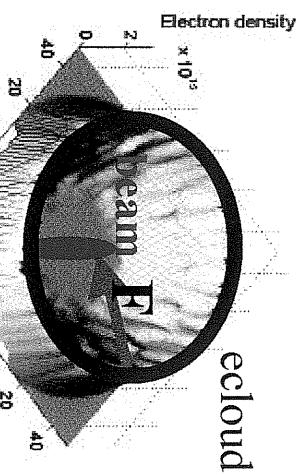
# The effect of Solenoid configuration effect---(SNS) ✓ SNS

- The more uniform the solenoid field, the more effective the confinement.

- No Multipacting+zero central density+low level heating



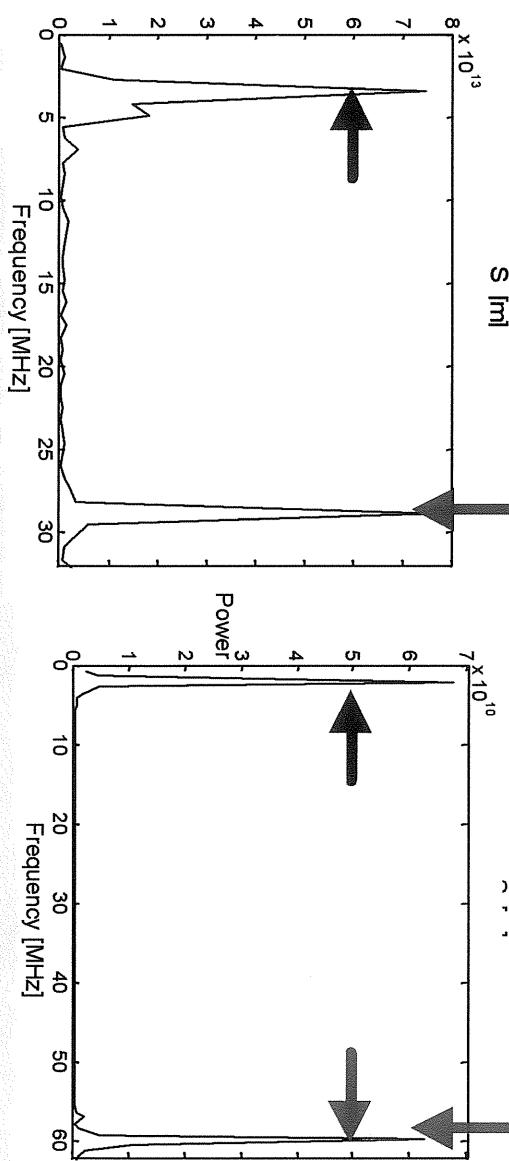
# Long range wake of electron cloud with solenoid (KEKB)



Wake has two Modes:

One depends on the electron bounce frequency. The frequency of this mode usually decreases when solenoid fields increase.

Another one comes from the gyration motion of electrons



$$f_c = \frac{eB}{2\pi m_e}$$

# MODELING ELECTRON CLOUD EFFECTS IN HEAVY ION ACCELERATORS

RON COHEN

BEAMLINE FULL OF QUADRUPOLES

ELECTRONS CAN LEAVE QUADS IN PULSE

IONISATION + ION LOSSES → ELECTRONS

BASED ON WARP

SCATTERED IONS ARE IMPORTANT

SIMULATIONS WITH CLOUD :

CONSTANT → LITTLE EFFECT

RANDOM → SIGNIFICANT LOSS

OFFSETS → LOSS + EMITTANCE GROWTH

VAR. SHAPE → IN BETWEEN

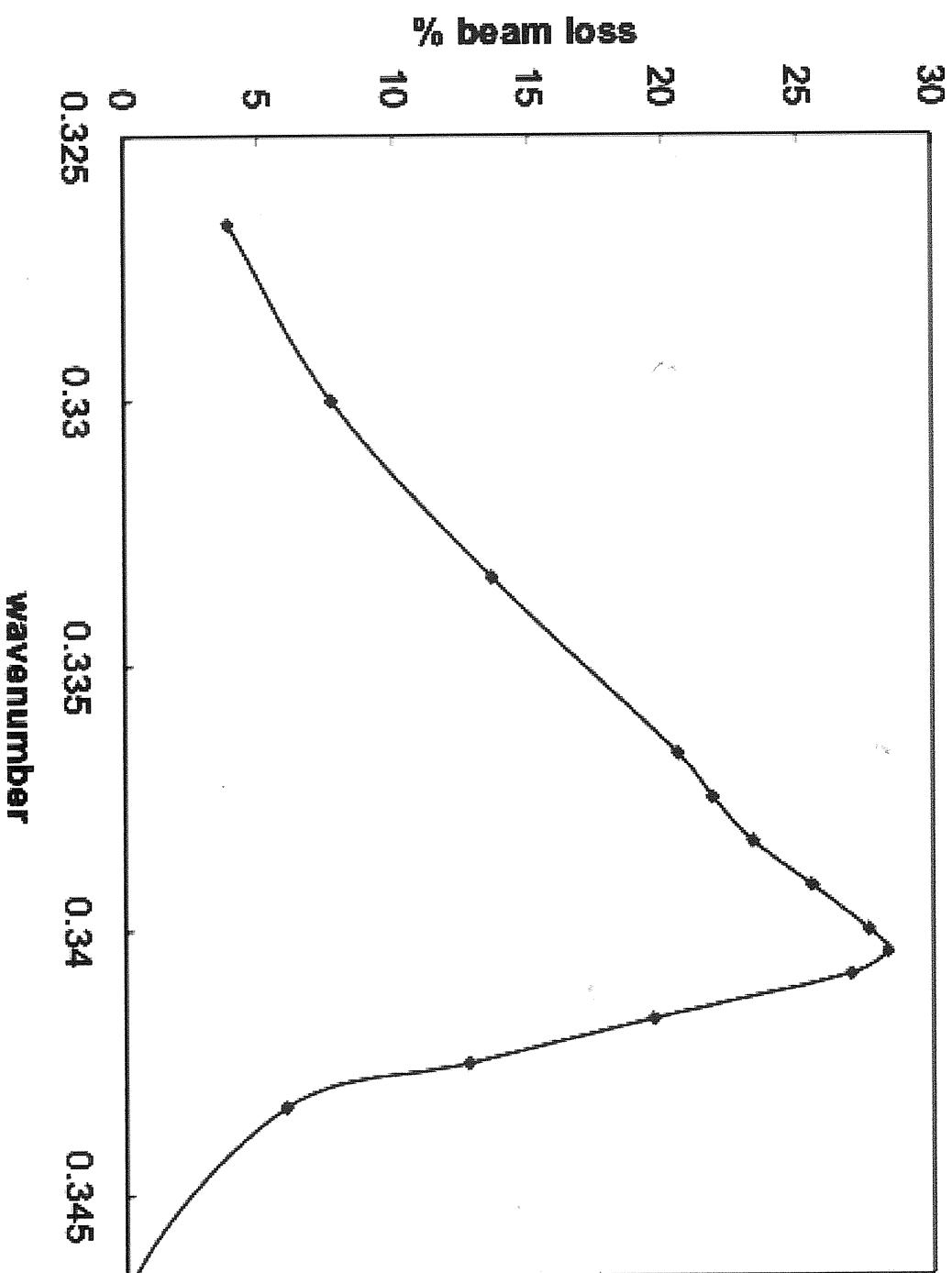
RES. ELLIPTICITY → EMITTANCE GROWTH

MODULATION CAN GIVE MILD  
INSTABILITY

INTERPOLATED MOVER

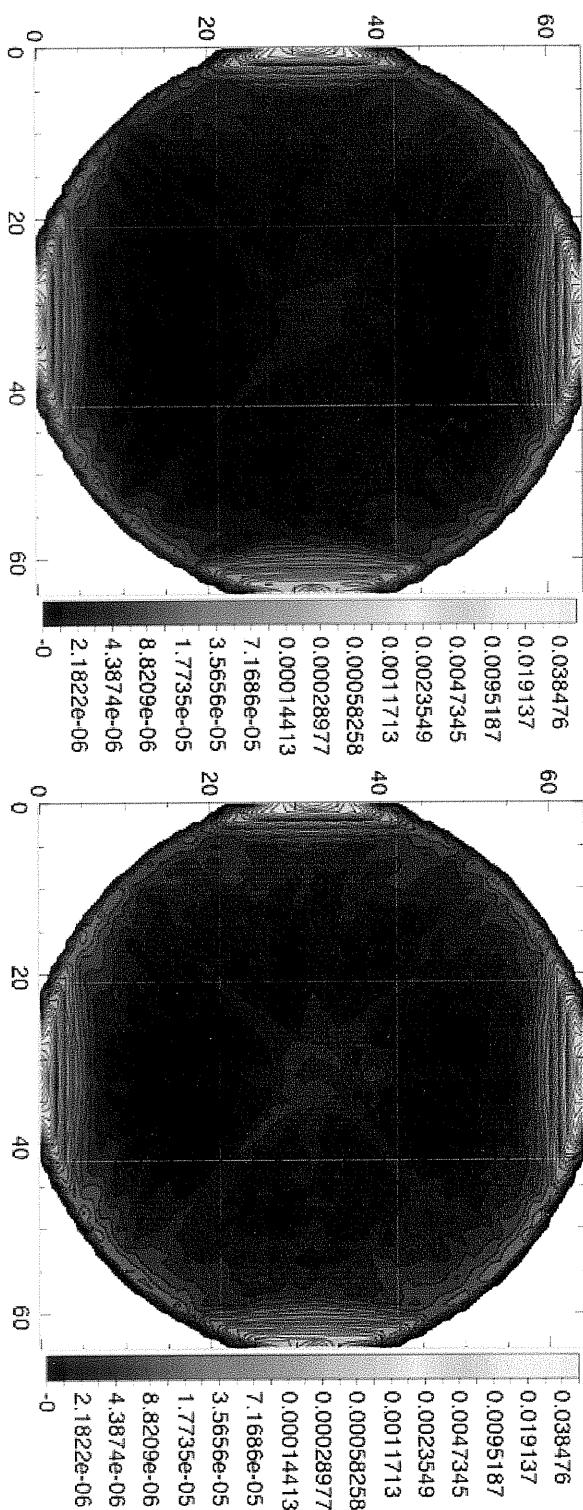
→ MUCH FASTER

# RESONANT perturbations are more damaging: 0-10% sinusoidally varying $n_e$ resonant with breathing mode



## Interpolated model reproduces the e-cloud calculation in $< 1/25$ time

- Compare full-orbit model,  $\Delta t = .25/f_{ce}$ , with interpolated model With  $\Delta t$  25 times longer



Full-orbit  
Large-timestep interpolated

THE CMEE LIBRARY FOR NUMERICAL  
MODELING OF ELECTRON EFFECTS

PETER STOLTZ

COMPUTATIONAL MODULES OF  
ELECTRON EFFECTS

MAKE USEFULL ROUTINES AVAILABLE

- SAVES WORK (TESTING)
- BETTER COMPARABILITY
- SIMPLER UPDATES
- BETTER SIMULATIONS

ROUTINES AVAILABLE:

POSINST SECONDARY ELECTRONS

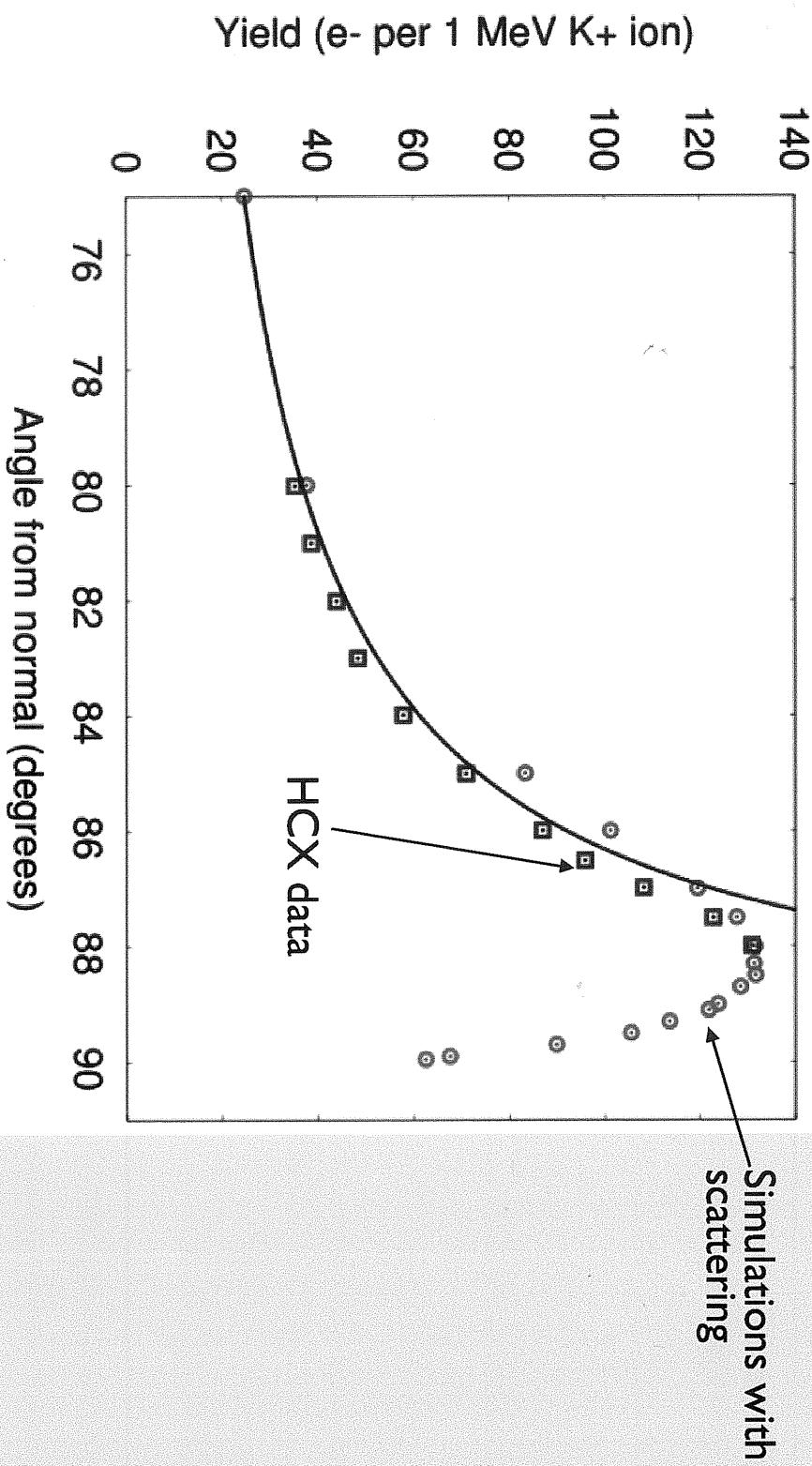
TO COME:

ION-INDUCED ELECTRONS  
NEUTRAL DESORPTION  
IMPACT IONISATION  
ION SCATTERING  
ENERGY LOSS

EASY INSTALLATION

C++, FORTRAN      PYTHON TO COME

# Ion scattering is one way to explain grazing electron yields



ECLLOUD04, NAPA, CA, APRIL 2004  
PETER STOLTZ  
TECH-X CORPORATION • BOULDER, COLORADO



# USE OF MAPS FOR EXPLORATION OF ELECTRON CLOUD PARAMETER SPACE

UBALDO IRISO

AIM: OPTIMISATION OF BUNCH PATTERN  
IN RHIC

FULL SIMULATION VERY TIME  
CONSUMING

TRICK: USE MAPS FROM  
SIMULATION

$$S_{m+1} = a_1 S_m + a_2 S_m^2 + a_3 S_m^3$$

SEEMS TO WORK VERY WELL

$$\vec{a}_{NN} \quad \vec{a}_{No} \quad \vec{a}_{ON} \quad \vec{a}_{OO}$$

SOME DIFFERENCES

CSEC  $\leftrightarrow$  ECLoud

LINEAR MODEL:

MOST SPARSE DISTRIBUTION  
IS BEST

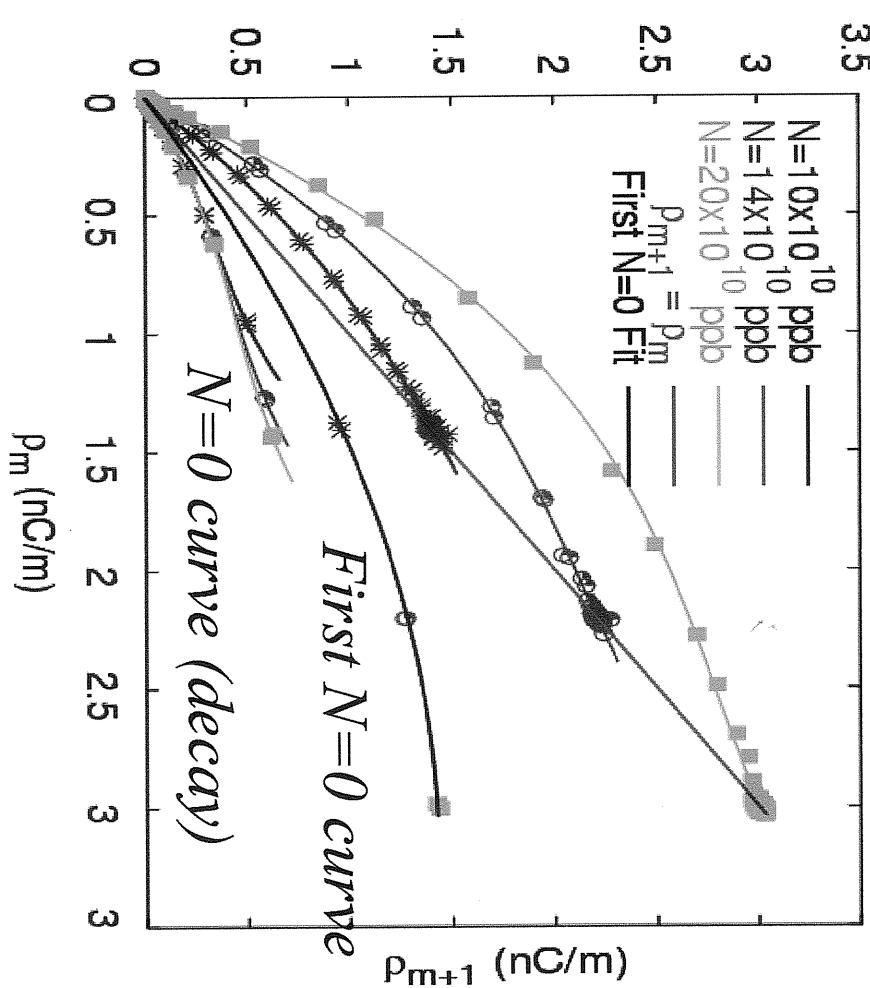
DONE IN RHIC

## 2. Can the EC be represented by

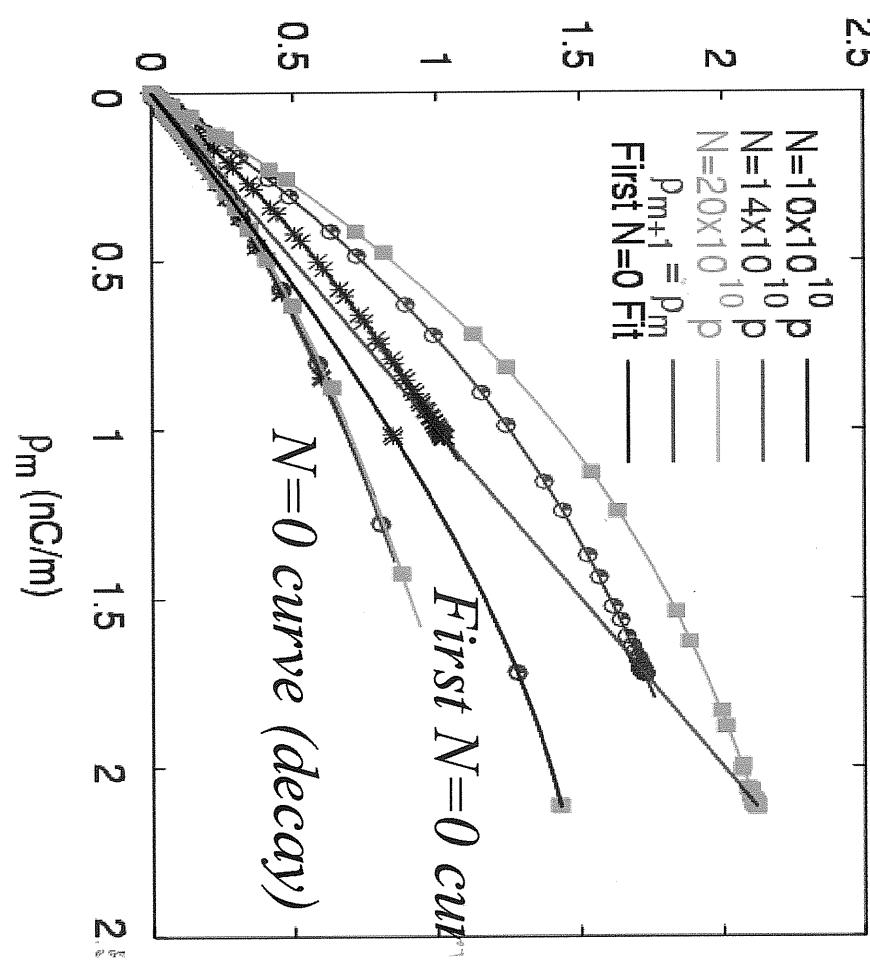
maps?

- Results for different N using CSEC (M. Blaskiewicz), and ECLOUD (F. Zimmermann). This is, results using different SEY parameterization:

CSEC



ECLOUD (Thanks G. Rumolo!)

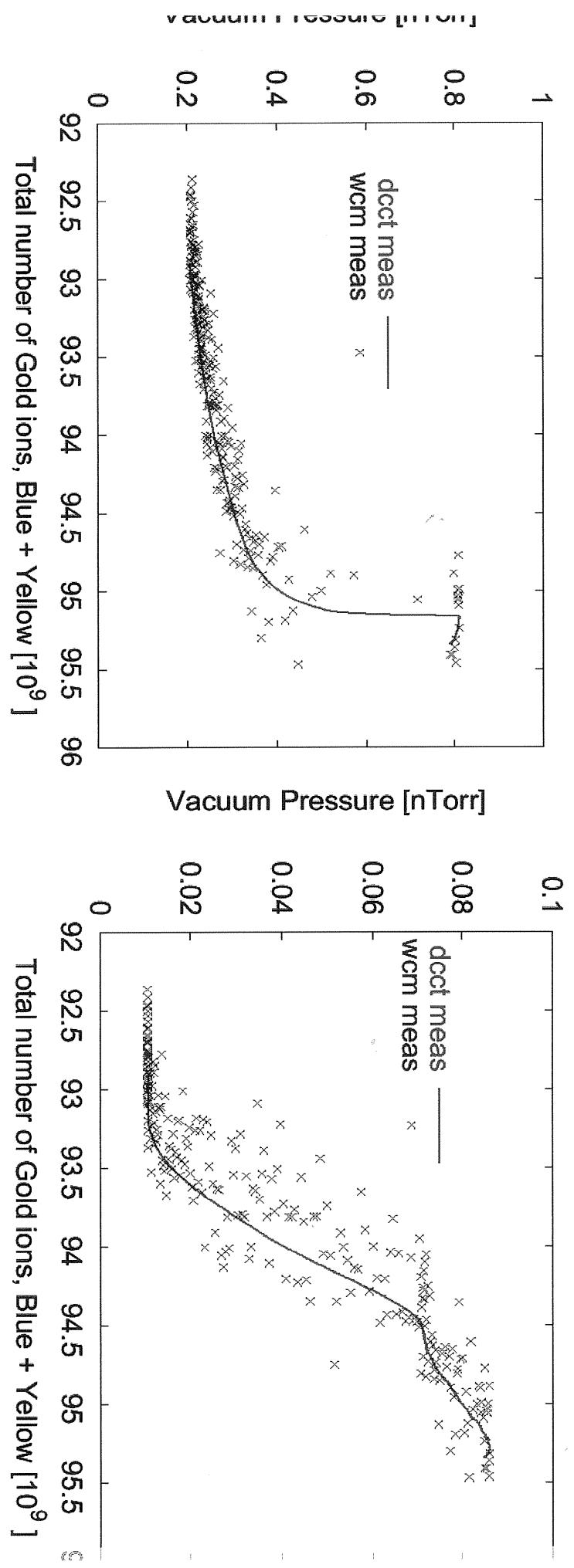


SEY from Furman & Pivi

SEY from Cimino & Collins

# 4. EC phase transitions at RHIC

- (P, N) diagram for the previous case:



IR10: 1<sup>st</sup> order behavior      IR12: 2<sup>nd</sup> order behavior

HAS THIS BEEN SIMULATED

## CODE DEVELOPMENT

A PROBLEM WHICH REQUIRES A  
SIMULATION

UNDERSTANDING OF THE RELEVANT  
PHYSICS

UNDERSTANDING OF RELEVANT  
NUMERICS AND COMPUTATIONAL  
PROCEDURES / PROBLEMS

IMPLEMENTATION OF CODE

BENCHMARKING WITH

- ANALYTIC MODELS
- OTHER CODES
- EXPERIMENTS

MAKING PREDICTIONS

## RELEVANT PHYSICS

PARTICLE MOTION AND FIELDS  
ARE WELL UNDERSTOOD

SURFACE PHYSICS IS PROBLEMATIC

- DIFFICULT PROBLEM
- LIMITED KNOWLEDGE OF  
ACTUAL MATERIAL

CARRY OUT EXPERIMENTS WITH  
WELL KNOWN SURFACES

A COMMON LIBRARY OF SURFACE  
SIMULATION ROUTINES CAN BE HELPFUL  
(CMEE)

- EASY ACCESS FOR CODES
- BETTER BENCH MARKING
- SHOULD CONTAIN COMPETING  
MODELS

# NUMERICS AND COMPUTERS

CODES CAN BE TIME CONSUMING

THEY MAY NEED INTEGRATION INTO  
LARGER FRAMEWORK

IN PARTICULAR INSTABILITIES CAN BE  
NUMERICALLY CHALLENGING

→ CAREFULL CHOICE OF ALGORITHMS

→ PARALLEL COMPUTING

→ MODULAR DESIGN

- LIBRARY

- INTEGRATION INTO EXISTING CODE

IS THERE A SINGLE APPROACH?

WHAT ABOUT SELF-CONSISTANCY?

## BENCHMARKING

TALKS AND DISCUSSION SAW  
BENCHMARKING AS VITAL

CODE  $\leftrightarrow$  FULL ANALYTIC MODEL  
DURING DEVELOPMENT  
 $\rightarrow$  CORRECTNESS OF MODULES  
OF FULL CODE  
 $\rightarrow$  INTERPLAY OF MODULES

CODE  $\leftrightarrow$  APPROXIMATE ANALYTIC MODEL  
CAN INCREASE LEVERAGE  
MORE DELICATE  
CAN HELP TO VERIFY APPROXIMATIONS

CODE  $\leftrightarrow$  CODE  
VERY IMPORTANT  
ONLY WAY TO VERIFY CODES  
IN THE INTERESTING REGIME

CODE ↔ EXPERIMENT

THE MOMENT OF TRUTH

INDISPENSIBLE

CAN BE NEXT TO IMPOSSIBLE

CAN ALSO BE MISLEADING

TALKS + DISCUSSION:

WE SHOULD FOSTER  
BENCHMARKING OF CODES

# HOW CAN WE IMPROVE

## BENCHMARKING?

DEFINE SET OF STANDARD CASES

SOME CASES EXIST

MORE MAY BE NEEDED

- TO COVER ALL RELEVANT CASES
- TO ALLOW ALL CODES TO PARTICIPATE

→ MAYBE SHOULD HAVE SOME INDEPTH DISCUSSION

CODE COMPARISON FOR EPAC

MORE AND IMPROVED EXPERIMENTS

## SUMMARY

VERY INTERESTING TALKS

PROGRESS IN

SOPHISTICATED SIMULATIONS  
AND TOOLS

ANALYTIC APPROACH

SIMPLIFIED